Introduction to Databases

SARCAR Sayan Faculty of Library, Information, and Media Science



Contents

- Purpose of Database System
- View of Data
- Data models
- Data definition language
- Data manipulation language

•SQL

For more detailed information, please visit <u>http://codex.cs.yale.edu/avi/db-book/db6/slide-dir/index.html</u>



Database Management System (DBMS)

- Collection of interrelated data
- Set of programs to access the data
- DBMS contains information about a particular enterprise
- DBMS provides an environment that is both convenient and efficient to use.
- Database Applications:
 - Banking: all transactions
 - Airlines: reservations, schedules
 - Universities: registration, grades
 - Sales: customers, products, purchases
 - Manufacturing: production, inventory, orders, supply chain
 - Human resources: employee records, salaries, tax deductions
 - Databases touch all aspects of our lives



Purpose of Database Systems

- In the early days, database applications were built on top of file systems
- Drawbacks of using file systems to store data:
 - Data redundancy and inconsistency
 - Multiple file formats, duplication of information in different files
 - Difficulty in accessing data

Need to write a new program to carry out each new task

- Data isolation multiple files and formats
- Integrity problems
- Integrity constraints (e.g. account balance > 0) become part of program code
- Hard to add new constraints or change existing ones



Purpose of Database Systems

Atomicity of updates

- Failures may leave database in an inconsistent state with partial updates carried out
- E.g. transfer of funds from one account to another should either complete or not happen at all

Concurrent access by multiple users

- Concurrent accessed needed for performance
- Uncontrolled concurrent accesses can lead to inconsistencies
- E.g. two people reading a balance and updating it at the same time

Security problems

• Database systems offer solutions to all the above problems



Level of Abstraction

- Physical level describes how a record (e.g., customer) is stored.
- Logical level: describes data stored in database, and the relationships among the data.

type customer = record name : string; street : string; city : integer; end;

View level: application programs hide details of data types.
 Views can also hide information (e.g., salary) for security purposes.



Instances and Schemas

Similar to types and variables in programming languages

Schema – the logical structure of the database

- e.g., the database consists of information about a set of customers and accounts and the relationship between them)
- Analogous to type information of a variable in a program
- Physical schema: database design at the physical level
- Logical schema: database design at the logical level
- **Instance** the actual content of the database at a particular point in time

Analogous to the value of a variable

Physical Data Independence – the ability to modify the physical schema without changing the logical schema

- Applications depend on the logical schema

In general, the interfaces between the various levels and components should be well defined so that changes in some parts do not seriously influence others.



Data models

A collection of tools for describing

- data
- data relationships
- data semantics
- data constraints

Entity-Relationship model Relational model

Other models:

- object-oriented model
- semi-structured data models
- Older models: network model and hierarchical model



Entity-Relationship Model

Example of schemas in the entity-relationship model





Entity-relationship Model

- . E-R model of real world
 - v Entities (objects)
 - E.g. customers, accounts, bank branch
 - v Relationships between entities
 - E.g. Account A-101 is held by customer Johnson
 - Relationship set *depositor* associates customers with accounts
- Widely used for database design
 - Database design in E-R model usually converted to design in the relational model (coming up next) which is used for storage and processing



Relational Model

Example of tabular data in the relational model

customer-id	customer- name	customer- street	customer- city	account- number
192-83-7465	Johnson	Alma	Palo Alto	A-101
019-28-3746	Smith	North	Rye	A-215
192-83-7465	Johnson	Alma	Palo Alto	A-201
321-12-3123	Jones	Main	Harrison	A-217
019-28-3746	Smith	North	Rye	A-201

Attributes



A Sample Relational Database

	customer-id	ustomer-id customer-name customer-street	
	192-83-7465	Johnson	12 Alma St. Palo Alto
	019-28-3746	Smith	4 North St. Rye
	677-89-9011	Hayes	3 Main St. Harrison
	182-73-6091	Turner	123 Putnam Ave. Stamford
	321-12-3123	Jones	100 Main St. Harrison
	336-66-9999	Lindsay	175 Park Ave. Pittsfield
	019-28-3746	Smith	72 North St. Rye
		(a) The	e customer table
200	count number	halance	customer-id account-number
uci	A 101	500	192-83-7465 A-101
	A-215	700	192-83-7465 A-201
	A-102	400	019-28-3746 A-215
	A-305	350	677-89-9011 A-102
	A-201	900	182-73-6091 A-305
	A-217	750	321-12-3123 A-217

(b) The account table

700

A-222

(c) The *depositor* table

A-222

A-201

336-66-9999

019-28-3746



Data Definition Language

- . Specification notation for defining the database schema
 - E.g.
 create table account (account-number char(10), balance integer)
- DDL compiler generates a set of tables stored in a data dictionary
- Data dictionary contains metadata (i.e., data about data)
 - v database schema
 - v Data storage and definition language
 - language in which the storage structure and access methods used by the database system are specified
 - Usually an extension of the data definition language



Data Manipulation Language

- Language for accessing and manipulating the data organized by the appropriate data model
 - v DML also known as query language
- Two classes of languages
 - Procedural user specifies what data is required and how to get those data
 - Nonprocedural user specifies what data is required without specifying how to get those data
- . SQL is the most widely used query language



SQL

- SQL: widely used non-procedural language
 - E.g. find the name of the customer with customer-id 192-83-7465
 select customer.customer-name
 from customer
 where customer.customer-id = '192-83-7465'
 - E.g. find the balances of all accounts held by the customer with customer-id 192-83-7465

- Application programs generally access databases through
 - v Language extensions that allow embedded SQL
 - Application program interfaces (e.g. ODBC/JDBC) which allow SQL queries to be sent to a database



The Relational Model

- Structure of Relational Databases
- Relational Algebra
- . Tuple Relational Calculus
- Domain Relational Calculus
- Extended Relational-Algebra-Operations
- Modification of the Database
- Views



Example of a Relation

account-number	branch-name	balance
A-101	Downtown	500
A-102	Perryridge	400
A-201	Brighton	900
A-215	Mianus	700
A-217	Brighton	750
A-222	Redwood	700
A-305	Round Hill	350



Basic Structure

- Formally, given sets D₁, D₂, ..., D_n a relation r is a subset of D₁ x D₂ x ... xD_n Thus a relation is a set of n-tuples (a₁, a₂, ..., a_n)where a_i ∈ D_i
- Example: if

```
customer-name = {Jones, Smith, Curry, Lindsay}
customer-street = {Main, North, Park}
customer-city = {Harrison, Rye, Pittsfield}
Then r = { (Jones, Main, Harrison),
        (Smith, North, Rye),
        (Curry, North, Rye),
        (Lindsay, Park, Pittsfield)}
is a relation over customer-name x customer-street x customer-city
```



Attribute Type

- Each attribute of a relation has a name
- The set of allowed values for each attribute is called the domain of the attribute
- Attribute values are (normally) required to be atomic, that is, indivisible
 - v E.g. multivalued attribute values are not atomic
 - v E.g. composite attribute values are not atomic



Relation Schema

- *A*₁, *A*₂, ..., *A_n* are *attributes*
- $R = (A_1, A_2, \dots, A_n)$ is a relation schema

E.g. Customer-schema =

(customer-name, customer-street, customer-city)

- . r(R) is a relation on the relation schema R
 - E.g. customer (Customer-schema)



Relation Instance

- The current values (relation instance) of a relation are specified by a table
- An element *t* of *r* is a *tuple*, represented by a *row* in a table



customer



Relations are unordered

- Order of tuples is irrelevant (tuples may be stored in an arbitrary order)
- E.g. account relation with unordered tuples

account-number	branch-name	balance
A-101	Downtown	500
A-215	Mianus	700
A-102	Perryridge	400
A-305	Round Hill	350
A-201	Brighton	900
A-222	Redwood	700
A-217	Brighton	750



Database

- A database consists of multiple relations
- Information about an enterprise is broken up into parts, with each relation storing one part of the information

E.g.: account : stores information about accounts depositor : stores information about which customer owns which account customer : stores information about customers

- Storing all information as a single relation such as bank(account-number, balance, customer-name, ..) results in
 - v repetition of information (e.g. two customers own an account)
 - the need for null values (e.g. represent a customer without an account)
- Normalization theory deals with how to design relational schemas



The Customer Relation

customer-name	customer-street	customer-city
Adams	Spring	Pittsfield
Brooks	Senator	Brooklyn
Curry	North	Rye
Glenn	Sand Hill	Woodside
Green	Walnut	Stamford
Hayes	Main	Harrison
Johnson	Alma	Palo Alto
Jones	Main	Harrison
Lindsay	Park	Pittsfield
Smith	North	Rye
Turner	Putnam	Stamford
Williams	Nassau	Princeton



The Depositor Relation

customer-name	account-number
Hayes	A-102
Johnson	A-101
Johnson	A-201
Jones	A-217
Lindsay	A-222
Smith	A-215
Turner	A-305



ER Diagram for the Banking Enterprise





Keys

- Let $K \subseteq R$
- K is a superkey of R if values for K are sufficient to identify a unique tuple of each possible relation r(R) by "possible r" we mean a relation r that could exist in the enterprise we are modeling.

Example: {*customer-name, customer-street*} and {*customer-name*} are both superkeys of *Customer*, if no two customers can possibly have the same name.

 K is a candidate key if K is minimal Example: {customer-name} is a candidate key for Customer, since it is a superkey {assuming no two customers can possibly have the same name), and no subset of it is a superkey.



Determining Keys from the ER Sets

- Strong entity set. The primary key of the entity set becomes the primary key of the relation.
- Weak entity set. The primary key of the relation consists of the union of the primary key of the strong entity set and the discriminator of the weak entity set.
- Relationship set. The union of the primary keys of the related entity sets becomes a super key of the relation.
 - For binary many-to-one relationship sets, the primary key of the "many" entity set becomes the relation's primary key.
 - For one-to-one relationship sets, the relation's primary key can be that of either entity set.
 - For many-to-many relationship sets, the union of the primary keys becomes the relation's primary key



Schema Diagram for the Banking Enterprise





Query language

Language in which user requests information from the database. Categories of languages

- procedural
- non-procedural

"Pure" languages:

- Relational Algebra
- Tuple Relational Calculus
- Domain Relational Calculus

Pure languages form underlying basis of query languages that people use.



Relational Algebra

Procedural language Six basic operators

- select
- project
- union
- set difference
- Cartesian product
- rename

The operators take two or more relations as inputs and give a new relation as a result.



Select operation - Example

• Relation r

A	В	С	D
α	α	1	7
α	β	5	7
β	β	12	3
β	β	23	10

•
$$\sigma_{A=B^{n}D>5}(r)$$

Α	В	С	D
α	α	1	7
β	β	23	10



Select operation

- Notation: $\sigma_p(r)$
- *p* is called the selection predicate
- Defined as:

 $\sigma_p(\mathbf{r}) = \{t \mid t \in r \text{ and } p(t)\}$

Where *p* is a formula in propositional calculus consisting of terms connected by : \land (**and**), \lor (**or**), \neg (**not**) Each term is one of:

<attribute> op <attribute> or <constant>

where *op* is one of: =, \neq , >, \geq . <. \leq

Example of selection:

σ _{branch-name="Perryridge"}(account)



Project operation -example

•	Relation r:		A	В	С	
			α	10	1	
			α	20	1	
			β	30	1	
			β	40	2	
•	$\Pi_{A,C}(r)$	Α	С		A	С
		α	1		α	1
		α	1	=	β	1
		β	1		β	2
		β	2			



Project operation

Notation:

$$\Pi_{A1, A2, ..., Ak}(r)$$

where A_1 , A_2 are attribute names and *r* is a relationname.

- The result is defined as the relation of k columns obtained by erasing the columns that are not listed
- Duplicate rows removed from result, since relations are sets
- E.g. To eliminate the *branch-name* attribute of *account* Π_{account-number, balance} (account)



Union operation - Example

Relations r, s:

٨	P	
٦	В	
x	1	
x	2	
3	1	
	r	

 $r \cup s$:

A	В
α	1
α	2
β	1
β	3

Α

α

β

s

В

2

3


Union Operation

- Notation: *r* ∪ s
- Defined as:

 $r \cup s = \{t \mid t \in r \text{ or } t \in s\}$

- For $r \cup s$ to be valid:
 - 1. r, s must have the same arity (same number of attributes)
 - The attribute domains must be *compatible* (e.g., 2nd column of *r* deals with the same type of values as does the 2nd column of *s*)
- E.g., to find all customers with either an account or a loan $\Pi_{customer-name}$ (depositor) $\cup \Pi_{customer-name}$ (borrower)



Set Difference - Example

Relations r, s:

Α	В	
α	1	
α	2	
β	1	
r		

Α	В	
α	2	
β	3	
s		

r – s:

A	В
α	1
β	1



Set Difference

- Notation r s
- Defined as:

 $r - s = \{t \mid t \in r \text{ and } t \notin s\}$

- . Set differences must be taken between compatible relations.
 - v r and s must have the same arity
 - v attribute domains of r and s must be compatible



Cartesian Product - Example

Relations r, s:

A	В	
α	1	
β	2	
r		

C	,	D	Е
α β γ		10 10 20 10	a a b b
		s	

rxs:

A	В	С	D	Е
α	1	α	10	а
α	1	β	19	а
α	1	β	20	b
α	1	γ	10	b
β	2	α	10	а
β	2	β	10	a
β	2	β	20	b
β	2	γ	10	b



Cartesian Product Operation

- Notation r x s
- Defined as:

 $r \ge s = \{t q \mid t \in r \text{ and } q \in s\}$

- Assume that attributes of r(R) and s(S) are disjoint. (That is, *R* ∩ S = Ø).
- If attributes of r(R) and s(S) are not disjoint, then renaming must be used.



Rename Operation - Example

Allows us to refer to a relation, (say E) by more than one name.

 $\rho_x(E)$

returns the expression E under the name X

Relations r



$$r x \rho_s(r)$$

r.A	r.B	s.A	s.B
α	1	α	1
α	1	β	2
β	2	α	1
β	2	β	2



Rename Operation

 Allows us to name, and therefore to refer to, the results of relational-algebra expressions.

.Allows us to refer to a relation by more than one name.

Example:

 $\rho_X(E)$

returns the expression E under the name X

If a relational-algebra expression E has arity n, then

 $\rho_{X}(A1, A2, ..., An)(E)$

returns the result of expression E under the name X, and with the attributes renamed to A1, A2, ..., An.



Banking example

branch (branch-name, branch-city, assets)

customer (customer-name, customer-street, customer-only)

account (account-number, branch-name, balance)

loan (loan-number, branch-name, amount)

depositor (customer-name, account-number)

borrower (customer-name, loan-number)



Find all loans of over \$1200

σ_{amount} > 1200 (*loan*)

 Find the loan number for each loan of an amount greater than \$1200

 $\prod_{loan-number} (\sigma_{amount} > 1200 \ (loan))$



 Find the names of all customers who have a loan, an account, or both, from the bank

 $\Pi_{customer-name}$ (borrower) $\cup \Pi_{customer-name}$ (depositor)

 Find the names of all customers who have a loan and an account at bank.

 $\Pi_{customer-name}$ (borrower) $\cap \Pi_{customer-name}$ (depositor)



 Find the names of all customers who have a loan at the Perryridge branch.

 $\Pi_{customer-name}$ ($\sigma_{branch-name="Perryridge"}$

(\sigma_borrower.loan-number = loan.loan-number(borrower x loan)))

 Find the names of all customers who have a loan at the Perryridge branch but do not have an account at any branch of the bank.

 $\Pi_{customer-name}$ ($\sigma_{branch-name}$ = "Perryridge"

(\sigma_borrower.loan-number = loan.loan-number(borrower x loan)))

Π_{customer-name}(depositor)



- Find the names of all customers who have a loan at the Perryridge branch.
 - v Query 1

 $\Pi_{customer-name}(\sigma_{branch-name} = "Perryridge")$

(oborrower.loan-number = loan.loan-number(borrower x loan)))

v Query 2

```
\Pi_{customer-name}(\sigma_{loan.loan-number} = borrower.loan-number((\sigma_{branch-name} = "Perryridge"(loan)) x borrower)
```



Find the largest account balance

- v Rename account relation as d
- v The query then is:

 $\Pi_{balance}(account) - \Pi_{account.balance}$ $(\sigma_{account.balance} < d.balance (account x \rho_d (account)))$



Formal Definitions

- A basic expression in the relational algebra consists of either one of the following:
 - v A relation in the database
 - v A constant relation
- Let E₁ and E₂ be relational-algebra expressions; the following are all relational-algebra expressions:
 - v $E_1 \cup E_2$
 - v E₁ E₂
 - $V E_1 \times E_2$
 - $\sigma_p(E_1)$, *P* is a predicate on attributes in E_1
 - v $\prod_{s}(E_1)$, S is a list consisting of some of the attributes in E_1
 - $\nu \rho_{X}(E_{1})$, x is the new name for the result of E_{1}



Additional Operations

We define additional operations that do not add any power to the relational algebra, but that simplify common queries.

- Set intersection
- Natural join
- Division
- Assignment



Set-Intersection Operation

- Notation: *r* ∩ *s*
- Defined as:
- $r \cap s = \{ t \mid t \in r \text{ and } t \in s \}$
- Assume:
 - v r, s have the same arity
 - v attributes of r and s are compatible
- Note: r ∩ s = r (r s)



Set-Intersection Operation - Example

Relation r, s:

А	В
α α β	1 2 1

r

А	В
α	2
β	3

s

. r∩s





Natural-Join Operation

- Notation: r \$\(\lambda\)
- Let *r* and *s* be relations on schemas *R* and *S* respectively. The result is a relation on schema *R* ∪ *S* which is obtained by considering each pair of tuples *t_r* from *r* and *t_s* from *s*.
- If t_r and t_s have the same value on each of the attributes in R ∩ S, a tuple t is added to the result, where
 - v t has the same value as t_r on r
 - v t has the same value as t_{S} on s
- Example:

 $R=(A,\,B,\,C,\,D)$

 $S=(E,\,B,\,D)$

- Result schema = (A, B, C, D, E)
- r x is defined as:

 $\Pi_{r.A, r.B, r.C, r.D, s.E} (\sigma_{r.B} = s.B r.D = s.D (r \times s))$



Natural-Join Operation - Example

[.] Relations r, s:

A	В	С	D
α	1	α	а
β	2	γ	a b
γ	1	P √	a
δ	2	β	b
r			

В	D	Е
1 3 1 2 3	a a b b	α β δ ∈

s

r	lpha
1	\sim

Α	В	С	D	Е
α	1	α	а	α
α	1	α	а	γ
α	1	γ	а	α
α	1	γ	а	γ
δ	2	β	b	δ



Division Operation

 $r \div s$

- . Suited to queries that include the phrase "for all".
- Let r and s be relations on schemas R and S respectively where

$$\vee R = (A_1, ..., A_m, B_1, ..., B_n)$$

v
$$S = (B_1, ..., B_n)$$

The result of r ÷ s is a relation on schema

$$R-S=(A_1,\,\ldots,\,A_m)$$

$$r \div s = \{ t \mid t \in \prod_{R-S}(r) \land \forall u \in s (tu \in r) \}$$



Division Operation - Example

Relations r, s:



В

1

2

s



r ÷ s:



Another Division Example

Relations r, s:

A	В	С	D	Е
α	а	α	а	1
α	а	γ	а	1
α	а	γ	b	1
β	а	γ	а	1
β	а	γ	b	3
γ	а	γ	а	1
γ	а	γ	b	1
γ	а	β	b	1

 D
 E

 a
 1

 b
 1

s

r ÷ s:

r	

A	В	С	
α γ	a a	γ γ	



Division Operation

- Property
 - v Let $q r \div s$
 - v Then q is the largest relation satisfying $q \ge r$
- Definition in terms of the basic algebra operation Let r(R) and s(S) be relations, and let $S \subseteq R$

$$r \div s = \prod_{R-S} (r) - \prod_{R-S} ((\prod_{R-S} (r) \times s) - \prod_{R-S,S} (r))$$

To see why

- v $\Pi_{R-S,S}(r)$ simply reorders attributes of r
- ∨ $\Pi_{R-S}(\Pi_{R-S}(r) \ge s) \Pi_{R-S,S}(r))$ gives those tuples t in $\Pi_{R-S}(r)$ such that for some tuple $u \in s$, $tu \notin r$.



Assignment Operation

- The assignment operation (←) provides a convenient way to express complex queries, write query as a sequential program consisting of a series of assignments followed by an expression whose value is displayed as a result of the query.
- Assignment must always be made to a temporary relation variable.
- Example: Write r ÷ s as

```
temp1 \leftarrow \Pi_{R-S}(r)
temp2 \leftarrow \Pi_{R-S} ((temp1 \times s) - \Pi_{R-S,S}(r))
result = temp1 - temp2
```

- The result to the right of the ← is assigned to the relation variable on the left of the ←.
- May use variable in subsequent expressions.



Assignment Operation - Example

- Find all customers who have an account from at least the "Downtown" and the Uptown" branches.
 - v Query 1

 $\prod_{CN}(\sigma_{BN="Downtown"}(depositor \& count)) \cap$

Π_{CN}(σ_{BN="Uptown"}(depositor & count))

where CN denotes customer-name and BN denotes branch-name.

v Query 2

Π_{customer-name, branch-name} (depositor pcount) ÷ ρ_{temp(branch-name)} ({("Downtown"), ("Uptown")})



 Find all customers who have an account at all branches located in Brooklyn city.

> $\Pi_{customer-name, branch-name}$ (depositor \bowtie account) $\div \Pi_{branch-name}$ ($\sigma_{branch-city}$ = "Brooklyn" (branch))



Extended Relational Algebra Operations

- Generalized Projection
- Aggregate Functions



Generalized Projections

 Extends the projection operation by allowing arithmetic functions to be used in the projection list.

$$\prod_{\text{F1, F2, ..., Fn}} (E)$$

- E is any relational-algebra expression
- Each of F₁, F₂, ..., F_n are are arithmetic expressions involving constants and attributes in the schema of E.
- Given relation credit-info(customer-name, limit, credit-balance), find how much more each person can spend:

 $\Pi_{customer-name, limit - credit-balance}$ (credit-info)



Aggregate Functions and Operations

Aggregation function takes a collection of values and returns a single value as a result.

avg: average value min: minimum value max: maximum value sum: sum of values count: number of values

Aggregate operation in relational algebra

G1, G2, ..., Gn @ F1(A1), F2(A2),..., Fn(An)(E)

- v E is any relational-algebra expression
- $V = G_1, G_2 \dots, G_n$ is a list of attributes on which to group (can be empty)
- v Each F_i is an aggregate function
- v Each A_i is an attribute name



Aggregate Operation - Example

Relation r: .



27





Aggregate Operation - Example

Relation account grouped by branch-name:

branch-name	account-number	balance	
Perryridge	A-102	400	
Perryridge	A-201	900	
Brighton	A-217	750	
Brighton	A-215	750	
Redwood	A-222	700	

branch-name sum(balance) (account)

branch-name	balance
Perryridge	1300
Brighton	1500
Redwood	700



Aggregate Function

- . Result of aggregation does not have a name
 - v Can use rename operation to give it a name
 - For convenience, we permit renaming as part of aggregate operation

branch-name **sum**(balance) **as** sum-balance (account)



Modification of Database

- The content of the database may be modified using the following operations:
 - v Deletion
 - v Insertion
 - v Updating
- All these operations are expressed using the assignment operator.



Deletion

- A delete request is expressed similarly to a query, except instead of displaying tuples to the user, the selected tuples are removed from the database.
- Can delete only whole tuples; cannot delete values on only particular attributes
- A deletion is expressed in relational algebra by:

where *r* is a relation and *E* is a relational algebra query.



Deletion Examples

Delete all account records in the Perryridge branch.

account \leftarrow account – σ branch-name = "Perryridge" (account)

Delete all loan records with amount in the range of 0 to 50

loan \leftarrow loan – σ amount \geq 0 and amount \leq 50(loan)

Delete all accounts at branches located in Needham.

 $r_{1} \leftarrow \sigma_{branch-city} = "Needham" (account branch)$ $r_{2} \leftarrow \Pi_{branch-name, account-number, balance}(r_{1})$ $r_{3} \leftarrow \Pi_{customer-name, account-number}(r_{2} \bowtie depositor)$ $account \leftarrow account - r_{2}$ $depositor \leftarrow depositor - r_{3}$



Insertion

- To insert data into a relation, we either:
 - v specify a tuple to be inserted
 - v write a query whose result is a set of tuples to be inserted
- in relational algebra, an insertion is expressed by:

$$r \leftarrow r \cup E$$

where r is a relation and E is a relational algebra expression.

 The insertion of a single tuple is expressed by letting E be a constant relation containing one tuple.


Insertion Example

- Insert information in the database specifying that Smith has \$1200 in account A-973 at the Perryridgebranch.
 account ← account ∪ {("Perryridge", A-973, 1200)}
 depositor ← depositor ∪ {("Smith", A-973)}
- Provide as a gift for all loan customers in the Perryridge branch, a \$200 savings account. Let the loan number serve as the account number for the new savings account.

 $r_{1} \leftarrow (\sigma_{branch-name = "Perryridge"} (borrower (an)) account$ $\leftarrow account \cup \prod_{branch-name, account-number, 200} (r_{1})$ $depositor \leftarrow depositor \cup \prod_{customer-name, loan-number, (r_{1})}$



Update

- A mechanism to change a value in a tuple without charging all values in the tuple
- . Use the generalized projection operator to do this task

 $r \leftarrow \prod_{F1, F2, \dots, Fl,} (r)$

- Each F, is either the *i*th attribute of r, if the *i*th attribute is not updated, or, if the attribute is to be updated
- *F_i* is an expression, involving only constants and the attributes of *r*, which gives the new value for the attribute



Update Example

Make interest payments by increasing all balances by 5 percent.

account $\leftarrow \Pi_{AN, BN, BAL * 1.05}(account)$

where AN, BN and BAL stand for account-number, branch-name and balance, respectively.

Pay all accounts with balances over \$10,000
 6 percent interest and pay all others 5 percent

 $\begin{array}{ll} \textit{account} \leftarrow & \Pi_{\textit{AN, BN, BAL} * 1.06} (\sigma_{\textit{BAL} > 10000} (\textit{account})) \\ & \cup \Pi_{\textit{AN, BN, BAL} * 1.05} (\sigma_{\textit{BAL} \le 10000} (\textit{account})) \end{array}$



SQL

- Basic Structure
- Set Operations
- Aggregate Functions
- Nested Subqueries
- Derived Relations
- Modification of the Database
- Data Definition Language



Basic Structure

- SQL is based on set and relational operations with certain modifications and enhancements
- A typical SQL query has the form:

select $A_1, A_2, ..., A_n$ from $r_1, r_2, ..., r_m$ where *P*

- v Ais represent attributes
- v *r_is* represent relations
- ✓ P is a predicate.
- This query is equivalent to the relational algebra expression.

$$\prod_{A1, A2, \dots, An} (\sigma_P (r_1 \times r_2 \times \dots \times r_m))$$

The result of an SQL query is a relation.



The Select Clause

- The select clause corresponds to the projection operation of the relational algebra. It is used to list the attributes desired in the result of a query.
- Find the names of all branches in the *loan* relation select branch-name from *loan*
- In the "pure" relational algebra syntax, the query would be:

 $\prod_{branch-name}$ (*loan*)

An asterisk in the select clause denotes "all attributes"

select * from loan

NOTES:

- SQL does not permit the '-' character in names, so you would use, for example, *branch_name* instead of *branch-name* in a real implementation. We use '-' since it looks nicer!
- v SQL names are case insensitive.



The Select Clause (Cont.)

- . SQL allows duplicates in relations as well as in query results.
- To force the elimination of duplicates, insert the keyword distinct after select.
 Find the names of all branches in the *loan* relations, and remove

duplicates

select distinct *branch-name* **from** *loan*

The keyword **all** specifies that duplicates not be removed.

select all branch-name from loan



The Select Clause (Cont.)

- The select clause can contain arithmetic expressions involving the operation, +, –, *, and /, and operating on constants or attributes of tuples.
- The query:

select *loan-number, branch-name, amount* * 100 **from** *loan*

would return a relation which is the same as the *loan* relations, except that the attribute *amount* is multiplied by 100.



The Where Clause

- The **where** clause corresponds to the selection predicate of the relational algebra. If consists of a predicate involving attributes of the relations that appear in the **from** clause.
- The find all loan number for loans made a the Perryridge branch with loan amounts greater than \$1200.

select loan-number
from loan
where branch-name = 'Perryridge' and amount > 1200

- Comparison results can be combined using the logical connectives and, or, and not.
- . Comparisons can be applied to results of arithmetic expressions.



The Where Clause (Cont.)

- SQL Includes a between comparison operator in order to simplify where clauses that specify that a value be less than or equal to some value and greater than or equal to some othervalue.
- Find the loan number of those loans with loan amounts between \$90,000 and \$100,000 (that is, ≥\$90,000 and ≤\$100,000) select loan-number from loan where amount between 90000 and 100000



The From Clause

- The from clause corresponds to the Cartesian product operation of the relational algebra. It lists the relations to be scanned in the evaluation of the expression.
- Find the Cartesian product *borrower x loan*

select *
from borrower, loan

 Find the name, loan number and loan amount of all customers having a loan at the Perryridge branch.



The Rename Operation

 The SQL allows renaming relations and attributes using the as clause:

old-name **as** new-name

 Find the name, loan number and loan amount of all customers; rename the column name *loan-number* as *loan-id*.

select customer-name, borrower.loan-number as loan-id, amount
from borrower, loan
where borrower.loan-number = loan.loan-number



Tuple Variables

- Tuple variables are defined in the from clause via the use of the as clause.
- Find the customer names and their loan numbers for all customers having a loan at some branch.

select customer-name, T.loan-number, S.amount **from** borrower **as** T, loan **as** S **where** T.loan-number = S.loan-number

 Find the names of all branches that have greater assets than some branch located in Brooklyn.

select distinct T.branch-name
from branch as T, branch as S
where T.assets > S.assets and S.branch-city = 'Brooklyn'



String Operations

- SQL includes a string-matching operator for comparisons on character strings. Patterns are described using two special characters:
 - v percent (%). The % character matches any substring.
 - v underscore (_). The _ character matches any character.
- Find the names of all customers whose street includes the substring "Main".

select customer-name from customer where customer-street like .%Main%-

Match the name "Main%"

like Main\% escape

- SQL supports a variety of string operations such as
 - v concatenation (using "||")
 - v converting from upper to lower case (and vice versa)
 - v finding string length, extracting substrings, etc.



Ordering the Display of Tuples

 List in alphabetic order the names of all customers having aloan in Perryridge branch

> select distinct customer-name from borrower, loan where borrower loan-number - loan.loan-number and branch-name = Perryridge[,] order by customer-name

- We may specify desc for descending order or asc for ascending order, for each attribute; ascending order is the default.
 - v E.g. order by customer-name desc



Duplicates

- In relations with duplicates, SQL can define how many copies of tuples appear in the result.
- Multiset versions of some of the relational algebra operators given multiset relations r₁ and r₂:
 - 1. If there are c_1 copies of tuple t_1 in r_1 , and t_1 satisfies selections σ_{θ_1} , then there are c_1 copies of t_1 in $\sigma_{\theta_1}(r_1)$.
 - 2. For each copy of tuple t_1 in r_1 , there is a copy of tuple $\Pi_A(t_1)$ in $\Pi_A(r_1)$ where $\Pi_A(t_1)$ denotes the projection of the single tuple t_1 .
 - 3. If there are c_1 copies of tuple t_1 in r_1 and c_2 copies of tuple t_2 in r_2 , there are $c_1 \ge c_2$ copies of the tuple t_1 . t_2 in $r_1 \ge r_2$



Duplicates (Cont.)

 Example: Suppose multiset relations r₁ (A, B) and r₂ (C) are as follows:

 $r_1 = \{(1, a) \ (2, a)\} \ r_2 = \{(2), \ (3), \ (3)\}$

• Then $\Pi_B(r_1)$ would be {(a), (a)}, while $\Pi_B(r_1) \ge r_2$ would be

 $\{(a,2), (a,2), (a,3), (a,3), (a,3), (a,3)\}$

SQL duplicate semantics:

select $A_{1,,} A_{2}, ..., A_{n}$ from $r_{1}, r_{2}, ..., r_{m}$ where P

is equivalent to the *multiset* version of the expression:

$$\Pi_{A1,,A2,...,An}(\sigma_{P}(r_{1} \times r_{2} \times ... \times r_{m}))$$



Set Operations

- The set operations union, intersect, and except operate on relations and correspond to the relational algebra operations ∪, ∩, −.
- Each of the above operations automatically eliminates duplicates; to retain all duplicates use the corresponding multiset versions union all, intersect all and except all.

Suppose a tuple occurs *m* times in *r* and *n* times in *s*, then, it occurs:

- v m + n times in r union all s
- v min(m,n) times in r intersect all s
- v max(0, m n) times in r except all s



Set Operations

Find all customers who have a loan, an account, or both:

(select customer-name from depositor) union (select customer-name from borrower)

Find all customers who have both a loan and an account.

(select customer-name from depositor) intersect (select customer-name from borrower)

Find all customers who have an account but no loan.

(select customer-name from depositor) except (select customer-name from borrower)



Aggregate Functions

 These functions operate on the multiset of values of a column of a relation, and return a value

> avg: average value min: minimum value max: maximum value sum: sum of values count: number of values



Aggregate Functions (Cont.)

. Find the average account balance at the Perryridge branch.

select avg (balance)
from account
where branch-name = 'Perryridge'

. Find the number of tuples in the *customer* relation.

select count (*) from customer

. Find the number of depositors in the bank.

select count (distinct customer-name) from depositor



Aggregate Functions - Group By

. Find the number of depositors for each branch.

select branch-name, count (distinct customer-name)
from depositor, account
where depositor.account-number = account.account-number
group by branch-name

Note: Attributes in **select** clause outside of aggregate functions must appear in **group by** list



Aggregate Functions - Having Clause

 Find the names of all branches where the average account balance is more than \$1,200.

> select branch-name, avg (balance) from account group by branch-name having avg (balance) > 1200

Note: predicates in the **having** clause are applied after the formation of groups whereas predicates in the **where** clause are applied before forming groups



Nested Subqueries

- . SQL provides a mechanism for the nesting of subqueries.
- A subquery is a select-from-where expression that is nested within another query.
- A common use of subqueries is to perform tests for set membership, set comparisons, and set cardinality.



Example Query

Find all customers who have both an account and a loan at the bank.

select distinct customer-name from borrower where customer-name in (select customer-name from depositor)

 Find all customers who have a loan at the bank but do not have an account at the bank

> select distinct customer-name from borrower where customer-name not in (select customer-name from depositor)



Example Query

 Find all customers who have both an account and a loan at the Perryridge branch

Note: Above query can be written in a much simplermanner.
 The formulation above is simply to illustrate SQL features.



Set Comparison

 Find all branches that have greater assets than some branch located in Brooklyn.

> select distinct T.branch-name from branch as T, branch as S where T.assets > S.assets and S.branch-city = Brooklyn-

Same query using > some clause

select branch-name from branch where assets > some (select assets from branch where branch-city = Brooklyn-)



Definition of Some Clause

• F <comp> some $r \Leftrightarrow \exists t \in r \text{ s.t.}$ (F <comp> t) Where <comp> can be: <, \leq , >, =, \neq





Definition of All Clause

F <comp> all r ⇔ ∀ t ∈ r (F <comp> t)





Example Query

 Find the names of all branches that have greater assets than all branches located in Brooklyn.

select branch-name
from branch
where assets > all
 (select assets
 from branch
 where branch-city = 'Brooklyn')



Test for Empty Relations

- The exists construct returns the value true if the argument subquery is nonempty.
- exists $r \Leftrightarrow r \neq \emptyset$
- . not exists $r \Leftrightarrow r = \emptyset$



Example Query

 Find all customers who have an account at all branches located in Brooklyn.

select distinct S.customer-name
from depositor as S
where not exists ((select
 branch-name from
 branch
 where branch-city = 'Brooklyn')
 except
 (select R.branch-name
 from depositor as T, account as R
 where T.account-number = R.account-number and
 S.customer-name = T.customer-name))

- Note that $X Y = \emptyset \iff X \subseteq Y$
- Note: Cannot write this query using = all and its variants



Test for Absence of Duplicate Tuples

- The unique construct tests whether a subquery has any duplicate tuples in its result.
- Find all customers who have at most one account at the Perryridge branch.

```
select T.customer-name
from depositor as T
where unique (
```



Example Query

 Find all customers who have at least two accounts at the Perryridge branch.

select distinct T.customer-name
from depositor T
where not unique (
 select R.customer-name
 from account, depositor as R
 where T.customer-name = R.customer-name and
 R.account-number = account.account-number and
 account.branch-name = Perryridge-)



Example Queries

A view consisting of branches and their customers
 create view all-customer as

(select branch-name, customer-name

from depositor, account

where depositor.account-number = account.account-number)

union

(select branch-name, customer-name

from borrower, loan

where borrower.loan-number = loan.loan-number)

. Find all customers of the Perryridge branch

select customer-name
from all-customer
where branch-name = 'Perryridge'



Derived Relations

 Find the average account balance of those branches where the average account balance is greater than \$1200.

select branch-name, avg-balance
from (select branch-name, avg (balance)
 from account
 group by branch-name)
 as result (branch-name, avg-balance)
where avg-balance > 1200

Note that we do not need to use the **having** clause, since we compute the temporary relation *result* in the **from** clause, and the attributes of *result* can be used directly in the **where** clause.


Modification of the Database - Deletion

. Delete all account records at the Perryridge branch

delete from *account* **where** *branch-name* = Perryridge

Delete all accounts at every branch located in Needham city.

delete from account where branch-name in (select branch-name from branch where branch-city = Needham) delete from depositor where account-number in (select account-number from branch, account where branch-city = Needham

and branch.branch-name = account.branch-name)



Example Query

 Delete the record of all accounts with balances below the average at the bank.

```
delete from account
where balance < (select avg (balance)
from account)
```

- Problem: as we delete tuples from *deposit*, the average balance changes
- v Solution used in SQL:
- 1. First, compute avg balance and find all tuples to delete
- Next, delete all tuples found above (without recomputing avg or retesting the tuples)



Modification of the Database - Insertion

. Add a new tuple to account

```
insert into account
values ('A-9732', 'Perryridge',1200)
or equivalently
```

insert into account (branch-name, balance, account-number) values ('Perryridge', 1200, 'A-9732')

. Add a new tuple to account with balance set to null

insert into account values ('A-777', 'Perryridge', null)



Modification of the Database - Insertion

 Provide as a gift for all loan customers of the Perryridge branch, a \$200 savings account. Let the loan number serve as the account number for the new savings account

insert into account select loan-number, branch-name, 200 from loan where branch-name = 'Perryridge' insert into depositor select customer-name, loan-number from loan, borrower where branch-name = 'Perryridge' and loan.account-number = borrower.account-number

 The select from where statement is fully evaluated before any of its results are inserted into the relation (otherwise queries like insert into table1 select * from table1 would cause problems



Modification of the Database - Updates

- Increase all accounts with balances over \$10,000 by 6%, all other accounts receive 5%.
 - v Write two update statements:

update account set balance = balance * 1.06 where balance > 10000

update account set balance = balance * 1.05 where balance ≤ 10000

v The order is important!



Data Definition Language (DDL)

Allows the specification of not only a set of relations but also information about each relation, including:

- . The schema for each relation.
- . The domain of values associated with each attribute.
- Integrity constraints
- . The set of indices to be maintained for each relations.
- . Security and authorization information for each relation.
- . The physical storage structure of each relation on disk.



Domain Types in SQL

- . char(n). Fixed length character string, with user-specified length n.
- varchar(n). Variable length character strings, with user-specified maximum length n.
- . int. Integer (a finite subset of the integers that is machine-dependent).
- smallint. Small integer (a machine-dependent subset of the integer domain type).
- numeric(p,d). Fixed point number, with user-specified precision of p digits, with n digits to the right of decimal point.
- real, double precision. Floating point and double-precision floating point numbers, with machine-dependent precision.
- float(n). Floating point number, with user-specified precision of at least n digits.



Create Table Construct

 An SQL relation is defined using the create table command:

> create table $r (A_1 D_1, A_2 D_2, ..., A_n D_n,$ (integrity-constraint₁), ..., (integrity-constraint_k))

- v r is the name of the relation
- v each A_i is an attribute name in the schema of relation r
- $v = D_i$ is the data type of values in the domain of attribute A_i
- Example:

create table branch

(*branch-name* char(15) **not null**, *branch-city* char(30), *assets* integer)



Integrity Constraints in Create Table

- . not null
- **. primary key** $(A_1, ..., A_n)$
- . check (P), where P is a predicate

Example: Declare *branch-name* as the primary key for *branch* and ensure that the values of *assets* are non-negative.

create table branch
 (branch-namechar(15),
 branch-city char(30)
 assets integer,
 primary key (branch-name),
 check (assets >= 0))

primary key declaration on an attribute automatically ensures not null in SQL-92 onwards, needs to be explicitly stated in SQL-89



Drop and Alter Table Constructs

- The drop table command deletes all information about the dropped relation from the database.
- The after table command is used to add attributes to an existing relation. All tuples in the relation are assigned *null* as the value for the new attribute. The form of the alter table command is

alter table r add A D

where A is the name of the attribute to be added to relation r and D is the domain of A.

The **alter table** command can also be used to drop attributes of a relation

alter table *r* drop *A*

where A is the name of an attribute of relation r

v Dropping of attributes not supported by many databases



SQL Data Definition for Part of the Bank Database

create table customer

(customer-name char(20), customer-street char(30), customer-city char(30), primary key (customer-name))

create table branch

(branch-name
branch-citychar(15),
char(30),
integer,
primary key (branch-name),
check (assets > = 0))

create table account (account-number char(10), branch-name char(15), balance integer, primary key (account-number), check (balance >= 0))

create table *depositor* (*customer-name* **char**(20), *account-number* **char**(10), **primary key** (*customer-name*, *account-number*))



Q&A Please write any feedback regarding class to <u>sayans@slis.tsukuba.ac.jp</u> Sub: Informatics class feedback

